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Some Results of The Coprime Graph of a Generalized Quaternion Group Q_{4n}

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Abstract

The Coprime graph is a graph from a finite group that is defined based on the order of each element of the group. In this research, we determine the coprime graph of *generalized quaternion* group Q_{4n} and its properties. The method used is to study literature and analyze by finding patterns based on some examples. The first result of this research is the form of the coprime graph of a *generalized quaternion* group Q_{4n} when $n = 2^k$, n an odd prime number, n an odd composite number, and n an even composite number. The next result is that the total of a cycle contained in the coprime graph of a *generalized quaternion* group Q_{4n} and cycle multiplicity when n is an odd prime number is $n - 1$.

Keywords: coprime graph; generalized quaternion group; order, path.

Abstrak

Graf koprima merupakan graf dari suatu grup hingga yang didefinisikan berdasarkan orde dari masing-masing elemen grup tersebut. Pada penelitian ini akan dibahas tentang bentuk graf koprima dari grup *generalized quaternion* Q_{4n} . Metode yang digunakan dalam penelitian ini adalah studi literatur dan melakukan analisis berdasarkan pola yang ditemukan dalam beberapa contoh. Adapun hasil penelitiannya adalah bentuk graf koprima dari grup *generalized quaternion* Q_{4n} untuk kasus $n = 2^k$, n bilangan prima ganjil ganjil, n bilangan komposit ganjil dan n bilangan komposit genap. Hasil selanjutnya adalah total siklus pada graf koprima dari grup *generalized quaternion* dan multiplisitas siklus ketika n bilangan prima ganjil adalah $n - 1$.

Kata kunci: graf koprima, grup *generalized quaternion*, orde, lintasan.

1. INTRODUCTION

A graph G consists of a non-empty finite set $V(G)$ of elements called vertices and a finite family of $E(G)$ of unordered pairs of (not necessarily distinct) elements of $V(G)$ called edges [1]. Some graph representations of a group are identity graph, inverse graph, commuting, non-commuting graph, coprime graph, non-coprime graph, and others. The coprime graph is a graph that represents a finite group where vertices are all elements of that group, and two distinct vertices are adjacent if and only if its order pairwise relative prime.

In recent years, there are some researches about the representation graph of a group. In 2010, Vahidi and Talebi [2] researched the properties of the commuting graph of the dihedral group and quaternion group and got some parameters of graph theory. In 2017, Abdussakir [3] researched the commuting graph of a dihedral group that is matrix dimension, cycle multiplicity, radius, and diameter. In the next year, Syarifuddin et al. [4]. Researched some characterizations of a dihedral group's coprime graph got the form of graph, radius, diameter, and girth.

From that, this research will present the coprime graph of a generalized quaternion group Q_{4n} and its properties, such as the form of a graph, total of cycles, and cycle multiplicity.

2. METHOD

This research aims to study literature studying generalized quaternion group, the order of elements a group, coprime graph, and its properties from some references. After that, the authors construct and analyze the coprime graph of the generalized quaternion group Q_{4n} by dividing, the case of n , construct the conjecture based on the pattern in examples and prove it. If the conjecture is untrue, then the author will construct another conjecture and prove it, but if the conjecture is true, then it is stated as a theorem.

3. RESULTS AND DISCUSSION

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The authors will discuss the form of the coprime graph of the generalized quaternion group Q_{4n} , a total of cycles contained in a graph and its cycle multiplicity.

3.1. Coprime Graph of Q_{4n}

Generalized quaternion group Q_{4n} is define as follows.

Definition 1. ([5]) The generalized quaternion group Q_{4n} ($n \geq 2$) is a group with a presentation of the form

$$\langle a, b \mid a^{2n} = e, a^n = b^2, b^{-1}ab = a^{-1} \rangle.$$

It is easy to see that Q_{4n} is of order $4n$, a has order $2n$, b has order four, and the relation $a^k b = b a^{-k}$ holds for all $k \in \mathbb{Z}$ [6].

The generalized quaternion group will be represented as the coprime graph, which is defined as follows.

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Definition 2. ([6]) Let G be finite group, the coprime graph of G denoted by Γ_G is a graph with vertices are elements of G and two distinct vertices x and y are adjacent if and only if $(|x|, |y|) = 1$.

In this research, will be determined the form of the coprime graph of the generalized quaternion group Q_{4n} . The results of this research show that there are four forms of the coprime graph of the generalized quaternion group Q_{4n} based on n . Theorem 1 explains the form of a coprime graph of the generalized quaternion group Q_{4n} for $n = 2^k$ where k is a natural number.

Theorem 1. Let Q_{4n} be a generalized quaternion group. If $n = 2^k$ then the coprime graph of Q_{4n} is complete bipartite.

Proof. Let $Q_{4n} = \{e, a, a^2, \dots, a^{2n-1}, b, ab, a^2b, \dots, a^{2n-1}b\}$. Let Q_{4n} partitioned into two sets $P_1 = \{e\}$ and $P_2 = Q_{4n} \setminus \{e\}$. For all $x, y \in P_2$, the order of x , and y are 2^i and 2^j for $i, j \in \{1, \dots, k+1\}$. Then 2 divides $(|x|, |y|)$, hence x and y are not adjacent and $\Gamma_{Q_{4n}}$ is a bipartite graph. Since $|e| = 1$ and $|z| = 2^m$ for $m \in \{1, \dots, k+1\}$ for any $y \in P_2$, we have $(|e|, |y|) = 1$. Hence e is adjacent with all vertices in P_2 . Thus the coprime graph of Q_{4n} with $n = 2^k$ is complete bipartite. ■

The form of the coprime graph of the generalized quaternion group Q_{4n} when n is an odd prime number will be presented in the following theorem.

Theorem 2. Let Q_{4n} generalized quaternion group. If $n = p$, p is an odd prime number, then the coprime graph of Q_{4n} is tripartite.

Proof. Let $Q_{4n} = \{e, a, a^2, \dots, a^{2p-1}, b, ab, a^2b, \dots, a^{2p-1}b\}$, so the order of each element is $|e| = 1$, $|a^p| = 2$, $|a^l b| = 4$ for each $l \in \{0, 1, 2, \dots, 2p-1\}$, $|a^{2j}| = p$ for each $j \in \{1, 2, \dots, p-1\}$, and $|a^k| = 2p$ for each $k \in \{1, 3, \dots, p-2, p+2, \dots, 2p-1\}$. So the order of each $x \in Q_{4n}$ is $1, 2, p, 4$, or $2p$. Since $p \neq 2$, we can define three partitions of Q_{4n} such that the order of each element in the same partition is not pairwise relative prime. Those partitions are $P_1 = \{x \in Q_{4n} \mid |x| = 1\} = \{e\}$, $P_2 = \{x \in Q_{4n} \mid |x| = 2l, l \in \mathbb{N}\}$ and $P_3 = \{x \in Q_{4n} \mid |x| = p\}$. It is easy to see that every pair $x, y \in P_i$ are not adjacent since $(|x|, |y|) \neq 1$, thus the coprime graph of Q_{4n} when n is an odd prime number is tripartite. ■

Note that the coprime graph of Q_{4n} in Theorem 2 cannot be complete tripartite since the order of a is always $2n$. The next theorem explains the coprime graph's form of the generalized quaternion group Q_{4n} for every composite number n .

Theorem 3. Let Q_{4n} be a generalized quaternion group. If $n = p_1^{k_1} p_2^{k_2} \dots p_m^{k_m}$, $p_1 = 2, p_i$ are distinct prime number then the coprime graph of Q_{4n} is $m + 1$ partite.

Proof. First, we assume that $p_i < p_j$ whenever $i < j$, then we define $m + 1$ subset of Q_{4n} . The first subset is the set of the element with order $n_1 = 1$ or, precisely, $P_1 = \{e\}$. For $j = 2, \dots, m + 1$, we define the partition P_j , is the set of the element with order n_j where $p_{j-1} | n_j$ but $p_s \nmid p_j$ for each $s < j$. By this definition, the $m + 1$ subsets form a partition in Q_{4n} . For $j > 0$, the order of elements from P_j is not pairwise relative prime, or its order can be divided by p_j . Hence the coprime graph of Q_{4n} is $m + 1$ partite. ■

And for n is an odd composite number, then we have a different form of the coprime graph of the generalized quaternion group Q_{4n} .

Theorem 4. Let Q_{4n} generalized quaternion group. If $n = p_1^{k_1} p_2^{k_2} \dots p_m^{k_m}$, $p_i \neq 2, p_i$ are distinct prime number then the coprime graph of Q_{4n} is $m + 2$ partite.

Proof. First, we assume that $p_i < p_j$ whenever $i < j$, then we define $m + 2$ subset of Q_{4n} . The first subset is the set of the element with order $n_0 = 1$ or, to be exact, $P_0 = \{e\}$. The second partition is P_1 , the set of the element with order n_1 , where $2 | n_1$. The third partition is P_2 , the set of the element with order n_2 , where $p_1 | n_2$. For $j = 3, \dots, m + 2$, we define the partition P_j , is the set of the element with order n_j where $p_{j-1} | n_j$ but $p_s \nmid p_j$ for each $s < j$. By this definition, the $m + 2$ subset forms a partition in Q_{4n} . For $j > 1$, the order of elements from P_j are not pairwise relative prime, or its order can be divided by p_j . And the order of any elements of P_1 is always divided by two. Hence the coprime graph of Q_{4n} is $m + 2$ partite. ■

3.2. Total of Cycle and Cycle Multiplicity

The definition of a cycle of a graph is given in the following definition.

Definition 3. ([7]) Cycle is not a trivial closed path with each vertex is distinct.

In this research, the author got a total of cycles contained in $\Gamma_{Q_{4n}}$ when n is an odd prime number, as explained in Theorem 5 as follows.

Theorem 5. Let $\Gamma_{Q_{4n}}$ be the coprime graph of the generalized quaternion group Q_{4n} . If n is an odd prime number, then $\Gamma_{Q_{4n}}$ has $2n^2 - n - 1$ cycles.

Proof. Based on theorem 2, $\Gamma_{Q_{4n}}$ is tripartite with partition are P_1, P_2 , and P_3 . The form of the cycle in this graph is $e - u - v - e$ with $u \in P_2$ and $v \in P_3$. From proof of theorem 2, the total elements in P_2 is $2n + 1$, and the total of elements in P_3 is $n - 1$. So, there are possibilities $2n + 1$ vertices u and $n - 1$ vertices v . Based on multiplication rules, the total of cycles with form $e - u - v - e$ that is contained in $\Gamma_{Q_{4n}}$ is $(2n + 1)(n - 1) = 2n^2 - n - 1$. Thus $\Gamma_{Q_{4n}}$ has $2n^2 - n - 1$ cycles. ■

Based on Theorem 5 we now can find cycle multiplicity of $\Gamma_{Q_{4n}}$ for n is an odd prime. The definition of cycle multiplicity is defined as follows.

Definition 4. ([8]) Let G is a graph, $V(G)$ and $E(G)$ is set of vertices and set of edges. $CM(G)$ is notation of cycle multiplicity defined by the maximum number of line disjoint cycles contained in G .

The last theorem explains the cycle multiplicity.

Theorem 6. Let $\Gamma_{Q_{4n}}$ be the coprime graph of the generalized quaternion group Q_{4n} . If n is an odd prime number, then $CM(\Gamma_{Q_{4n}}) = n - 1$.

Proof. Let $V_1 = \{u \in Q_{4n} ||u| = 4\}$ and $V_2 = \{v \in Q_{4n} ||v| = p\}$, so $e - u - v - e$ is a cycle for each $u \in V_1$ and $v \in V_2$. And then, let $e - u_1 - v_1 - e$ and $e - u_2 - v_2 - e$ is two distinct cycles in $\Gamma_{Q_{4n}}$. Both cycles will adjoin edges if and only if $u_1 \neq v_1 \neq u_2 \neq v_2$. Thus, the maximum number of line disjoint cycle is in $\Gamma_{Q_{4n}}$ or $CM(\Gamma_{Q_{4n}}) = \min\{|V_1|, |V_2|\} = \min\{2n + 1, n - 1\} = n - 1$.

4. CONCLUSIONS

The obtained results show that the coprime graph of the generalized quaternion group Q_{4n} when $n = 2^k$, n is an odd prime number, $n = p_1^{k_1} p_2^{k_2} \dots p_m^{k_m}$ with $p_1 = 2$, $n = p_1^{k_1} p_2^{k_2} \dots p_m^{k_m}$ with $p_i \neq 2$ is complete bipartite, tripartite, $m + 1$ partite and $m + 2$ partite, total of cycles contained in $\Gamma_{Q_{4n}}$ when n is an odd prime number is $2n^2 - n - 1$ with $CM(\Gamma_{Q_{4n}}) = n - 1$.

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